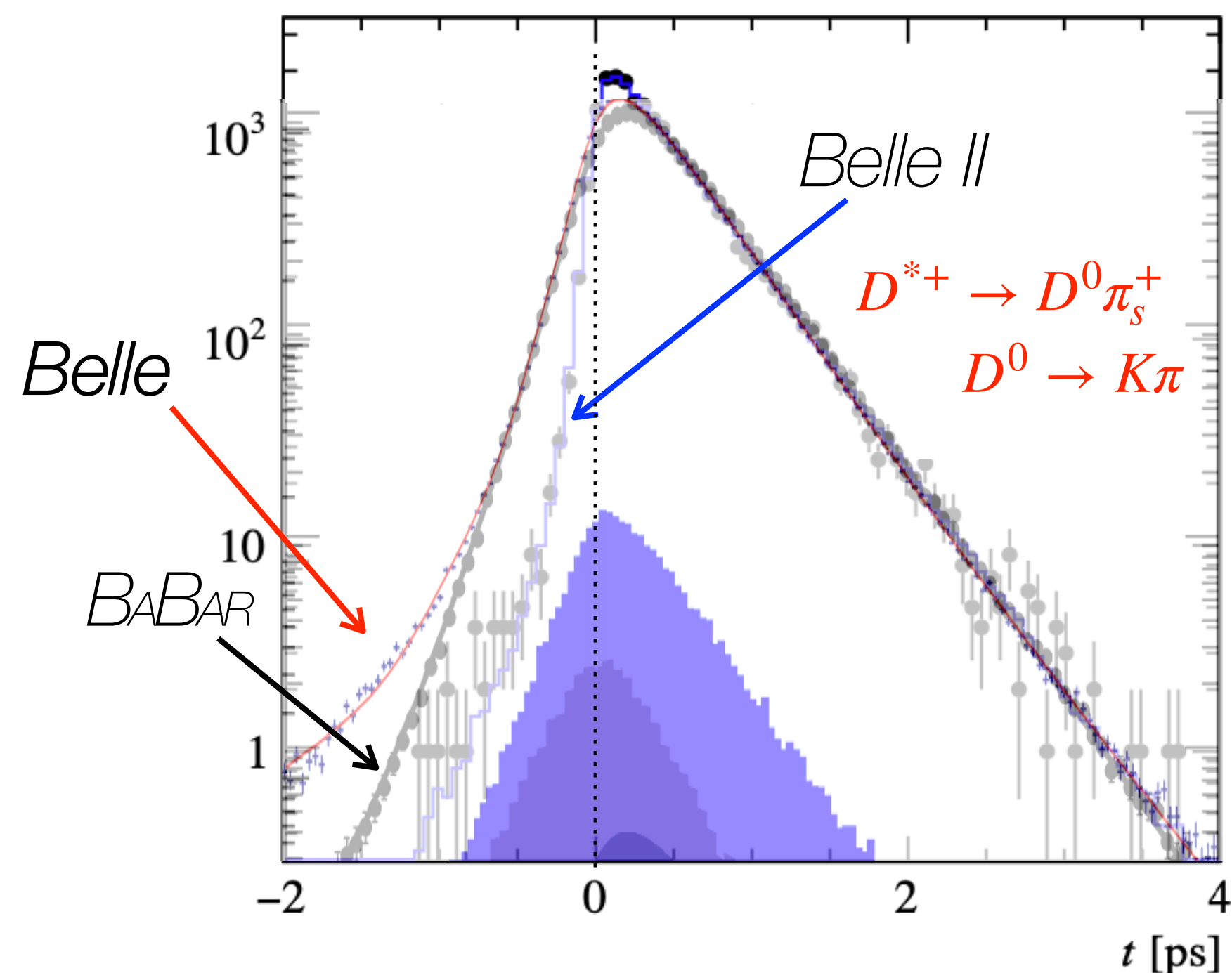


# D meson lifetimes at *Belle II*

**HOT  
TOPIC**



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on behalf of the *Belle II* Collaboration



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# Outline

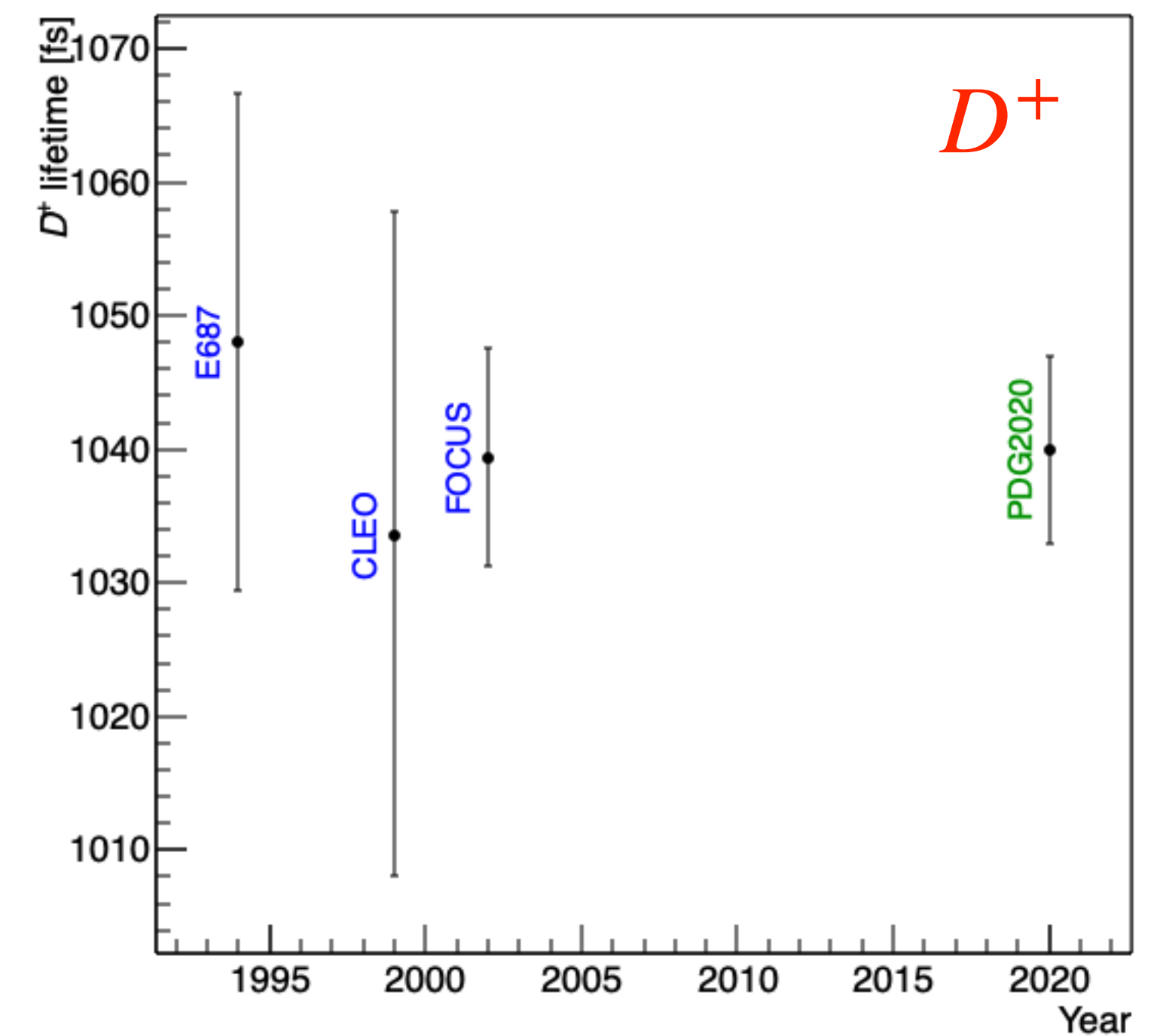
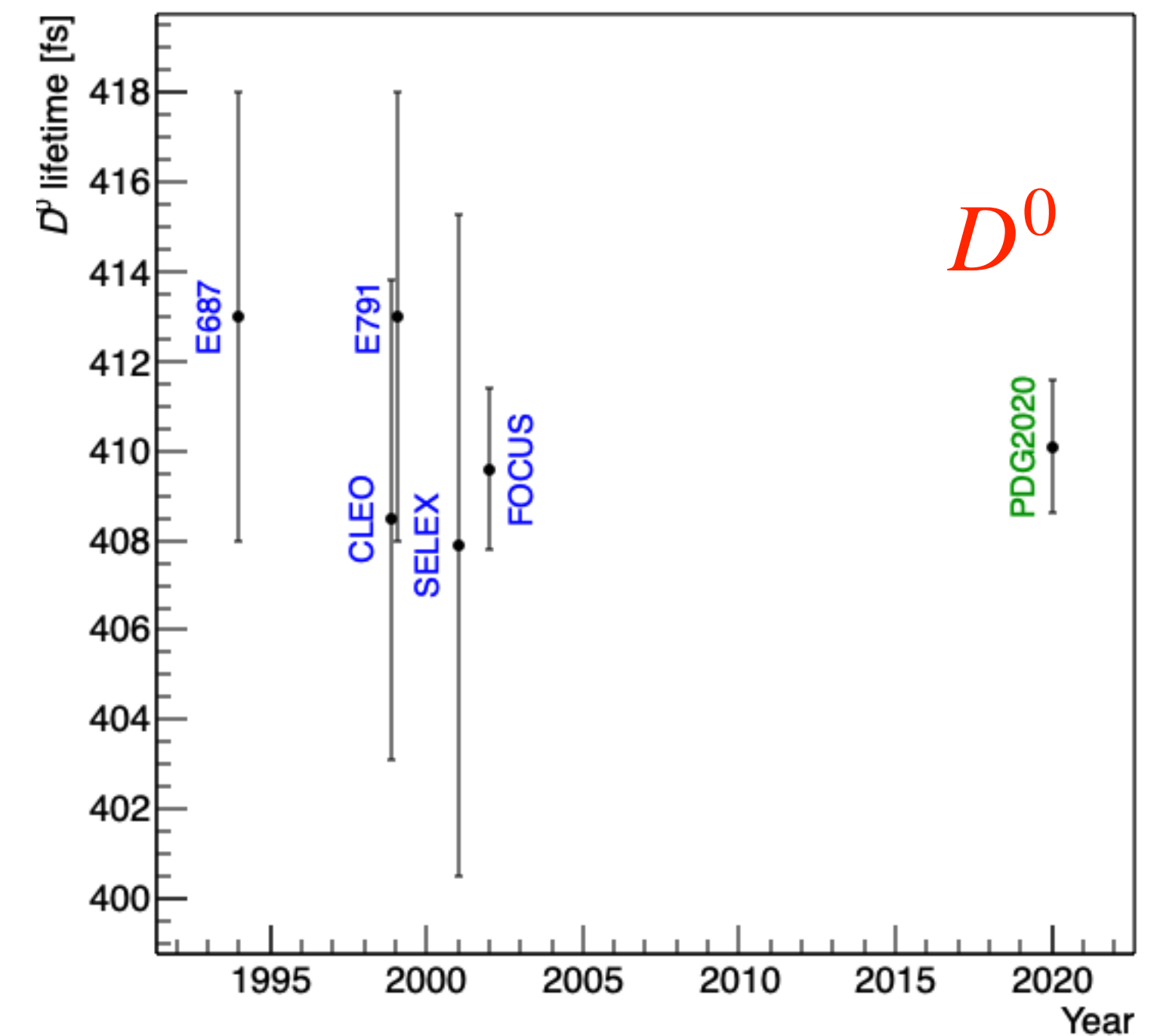
- *Introduction*
- *Belle II at the High-Luminosity B-Factory SuperKEKB*
- *Measurement of the  $D^0$  and  $D^+$  Lifetimes*
- *Conclusions*

# $D^0$ and $D^+$ Lifetimes

a brief picture

- ➔ Measured for the first time with  $\sim$ sub-% precision by FOCUS around 20 years ago [arXiv:hep-ex/0203037](https://arxiv.org/abs/hep-ex/0203037)
- ➔ No measurements from 1<sup>st</sup> generation B-Factories Belle and *BABAR*, nor LHCb
  - no measurement of charm hadron lifetimes at Belle and *BABAR*
  - LHCb uses  $D^+$  lifetime as reference for their charm lifetime measurements
- ➔ Lifetimes measurements test non-perturbative QCD and provide guidance to describe strong interactions

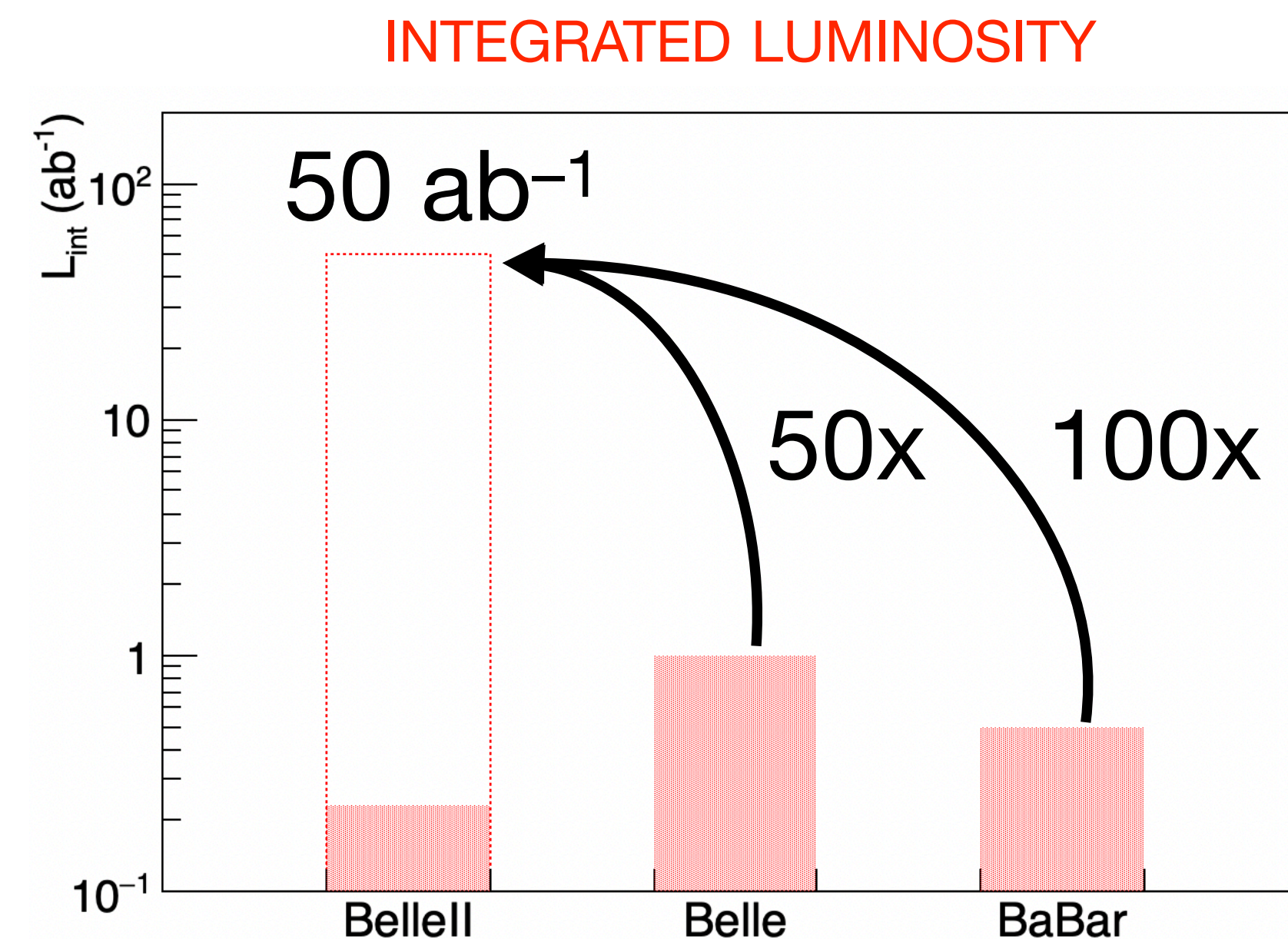
[arXiv:1405.3601](https://arxiv.org/abs/1405.3601)



# D<sup>0</sup> and D<sup>+</sup> Lifetimes **at Belle II**

motivation

- ➔ Belle II is a multi-purpose detector installed at the high-luminosity B-Factory SuperKEKB
  - target instantaneous luminosity 30x KEKB/Belle ( $6 \times 10^{35} \text{ cm}^{-2}\text{s}^{-1}$ )
  - to fully exploit the target  $50 \text{ ab}^{-1}$ , resolutions must be comparable or better than Belle & systematics under control
- ➔ Data taking started in 2019, collected roughly  $\sim 210 \text{ fb}^{-1}$ 
  - first data crucial to check performance!
- ➔ D<sup>0</sup> and D<sup>+</sup> lifetime measurements to prove the excellent vertexing performance and an achieve an in-depth understanding of systematic effects for the future time-dependent analyses (CPV/mixing)



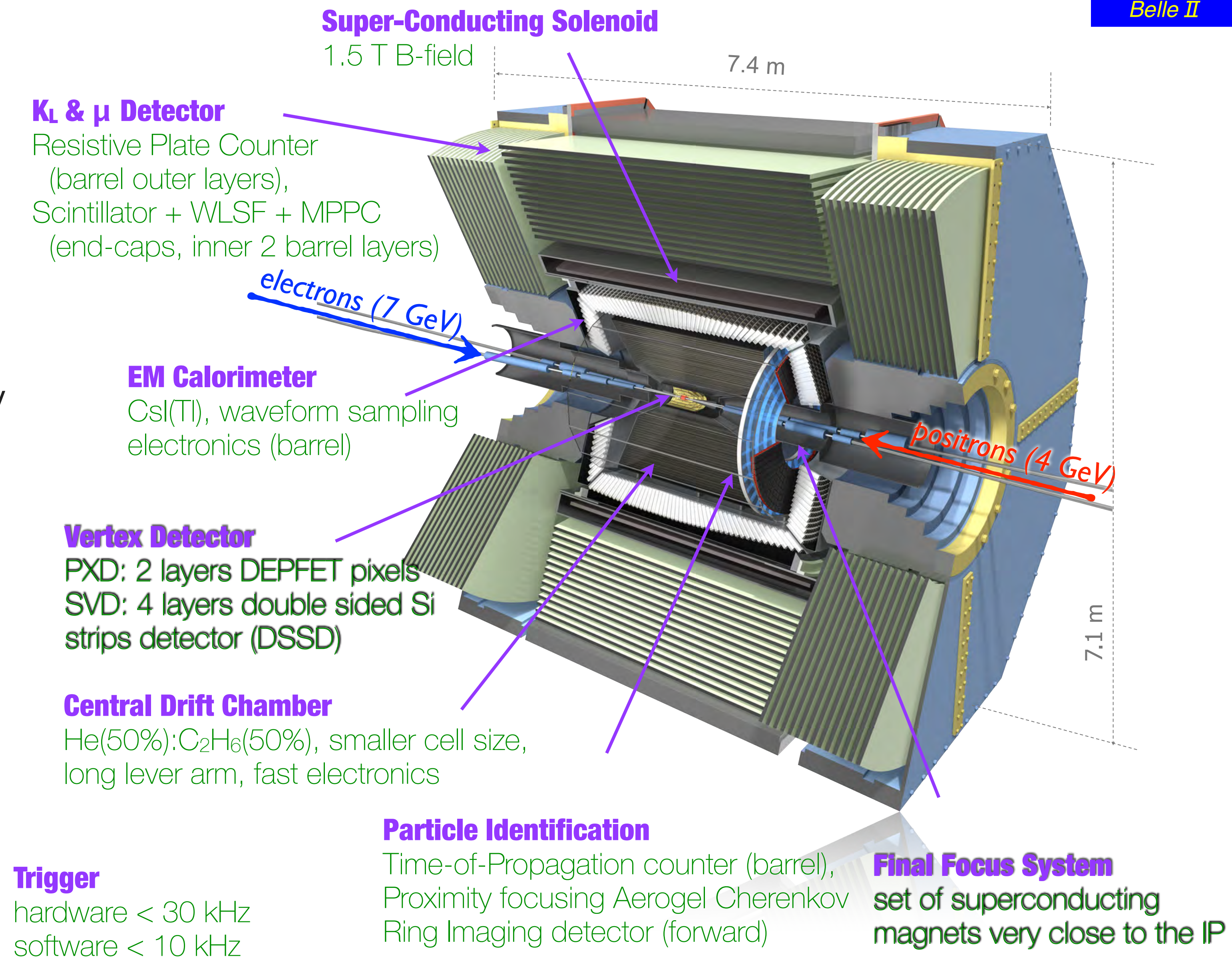
# Belle II



@ SuperKEKB

High-Luminosity B-Factory

- 2<sup>nd</sup> generation asymmetric  $e^+e^-$  collider at the  $Y(4S)$  mass energy
- $\beta\gamma = 0.28$  (0.5x PEP2/BABAR, 0.67x KEKB/Belle) enhances the displacements between the B and  $\bar{B}$  decay vertices
- 90% solid angle coverage
- excellent vertexing & neutrals reconstruction



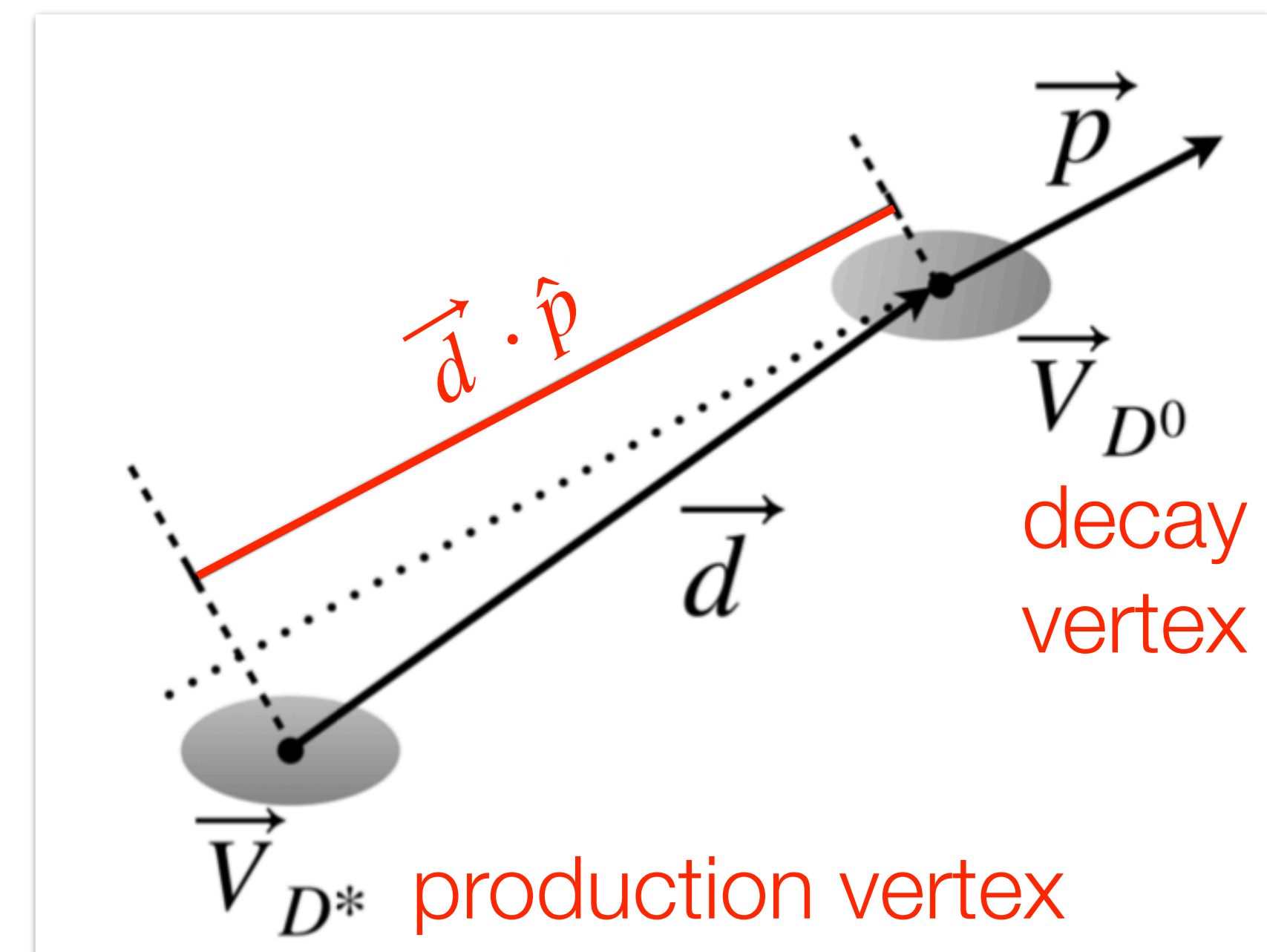
# How to Measure the Lifetime

use  $e^+e^- \rightarrow c\bar{c} \rightarrow D^* X$  events

- Select high-purity signal candidates in  $D^*$ -tagged  $D^0 \rightarrow K\pi$  and  $D^+ \rightarrow K\pi\pi$ 
  - avoid selection criteria that bias the D proper time
- Compute the D proper time  $t$  and its uncertainty  $\sigma_t$  from the reconstructed D production and decay vertices and its momentum  $\vec{p}$ :

$$t = \frac{m_D}{p} \left( \vec{d} \cdot \hat{p} \right)$$

- production vertex lies inside the  $e^+e^-$  interaction region
- decay vertex is displaced on average by  $\sim 200/500 \mu\text{m}$  for the  $D^0/D^+$
- Extract the lifetime with a fit to the  $(t, \sigma_t)$  distribution
  - signal & bkg PDFs extracted from data, no input from simulation

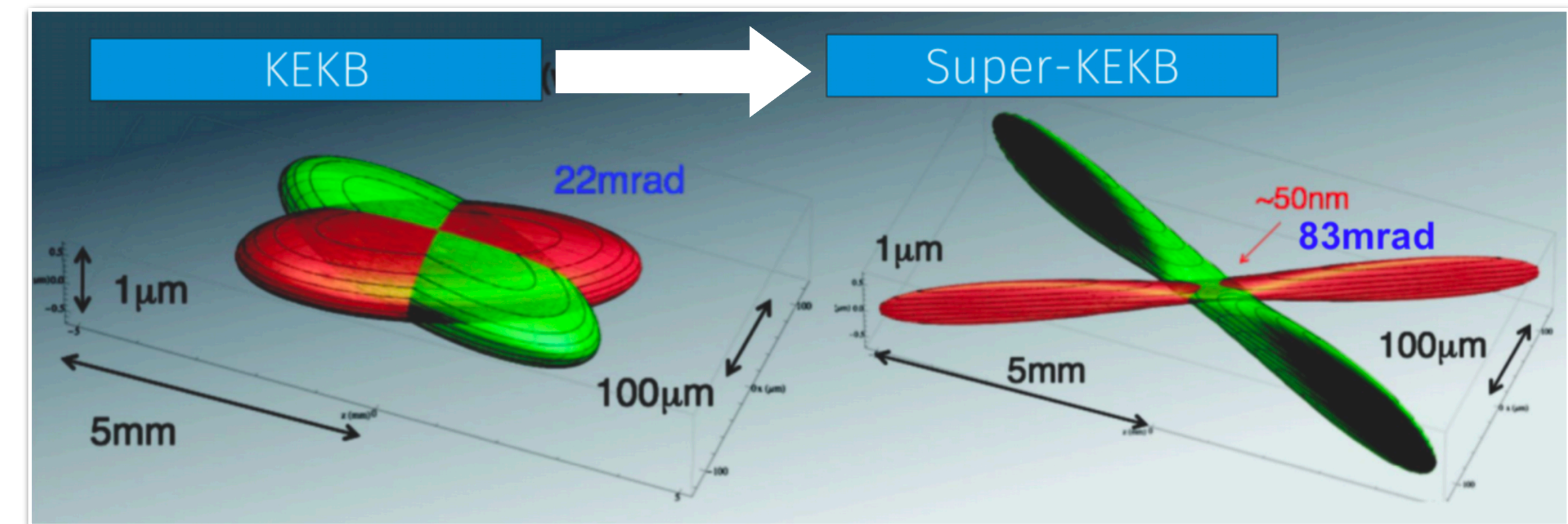


# Highlight from SuperKEKB

size of the  $e^+e^-$  interaction region

→ SuperKEKB implements the “nano-beam” scheme (P. Raimondi), needed to reach the target instantaneous luminosity of  $6 \times 10^{35} \text{ cm}^{-2}\text{s}^{-1}$

- squeeze beams at the interaction point with a set of final focus superconductive magnets
- typical  $e^+e^-$  interaction region sizes (x/y):  $10/0.2 \text{ } \mu\text{m}$  at *Belle II* vs  $100/1 \text{ } \mu\text{m}$  at Belle!



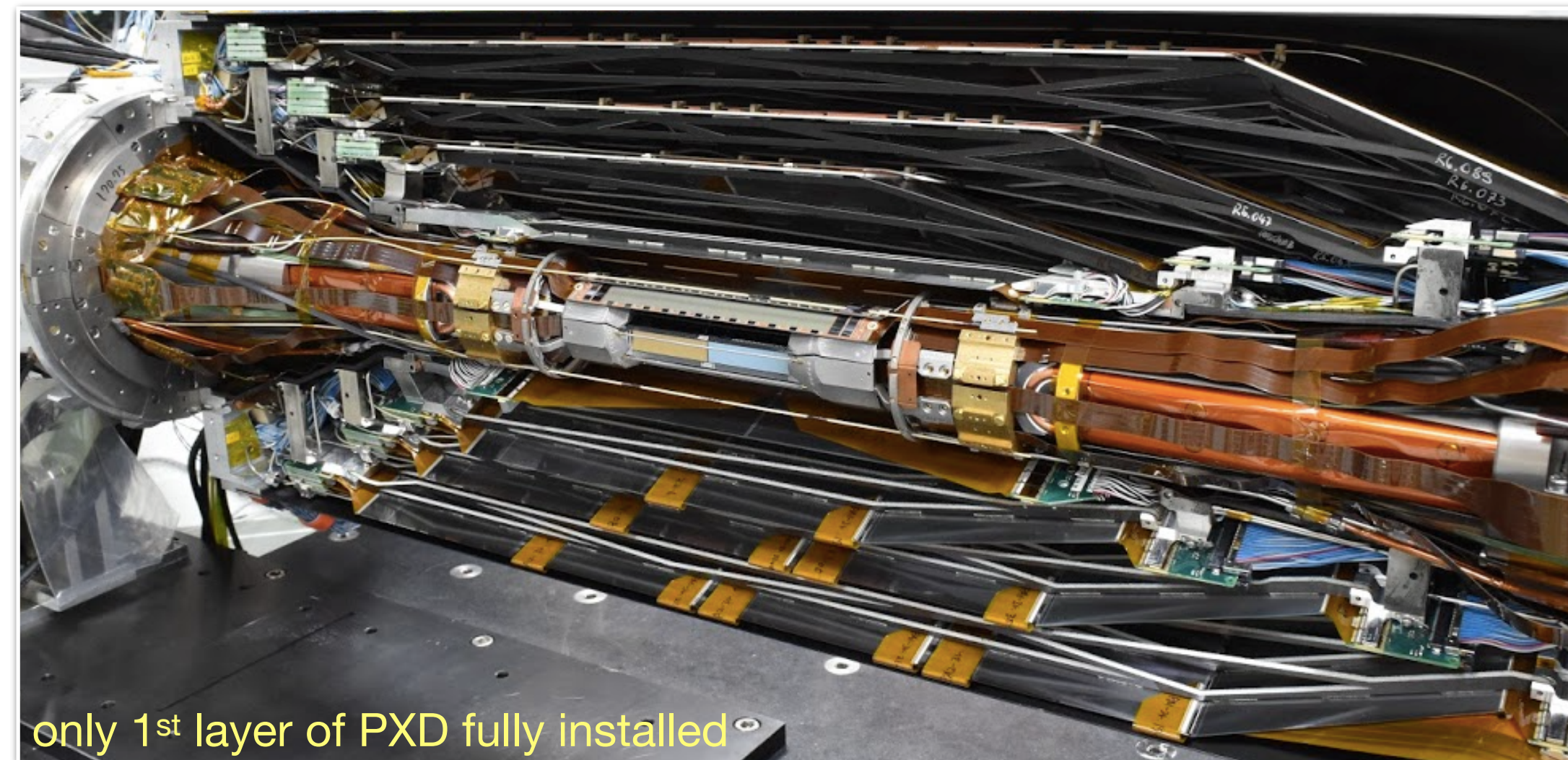
→ Extremely small size of the  $e^+e^-$  interaction region allows to apply a powerful *constraint* on the D production vertex position

- periodic track-based calibrations of the position and size of the  $e^+e^-$  interaction region using di-muon samples

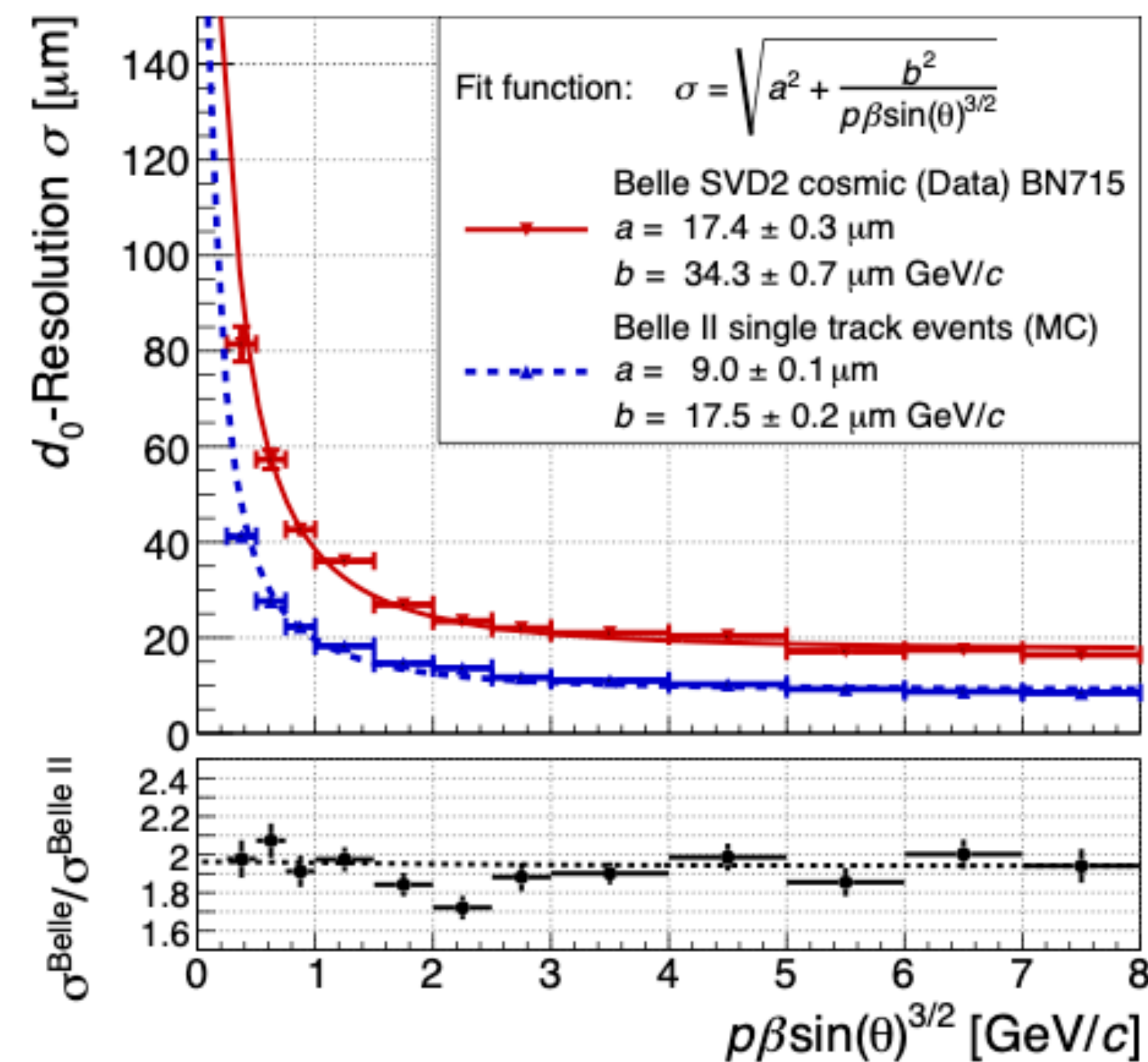
→ Will further squeeze the vertical size to increase the luminosity, down to  $\sim 60 \text{ nm}$

# Highlight from Belle II

## VerteX Detector



- ➔ Vertex Detector is composed by
  - 2-layer all-silicon pixel detector (PXD)
  - 4-layer double-sided silicon strip detector (SVD)
- ➔ Innermost PXD layer is only 1.4 cm from the IP (factor 2 nearer than Belle), with very low material budget (0.1%  $X_0$ /layer for  $\perp$  tracks) & excellent hit position resolution
- ➔ Factor 2 improvement in the impact parameter determination wrt Belle and *BABAR*
  - the factor 2 improvement shows up directly in the D proper time resolution (next slide)





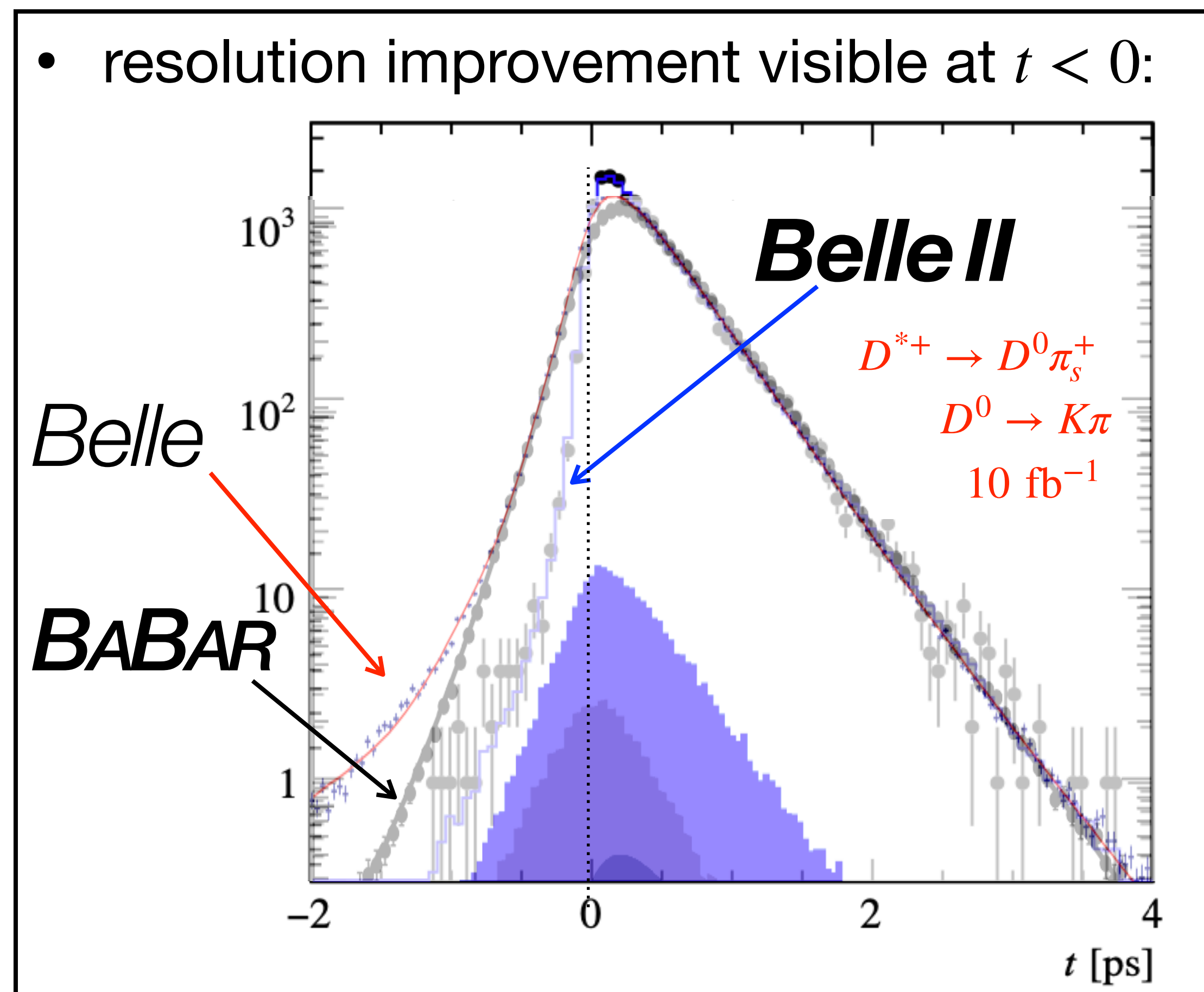


# Improved Proper Time Resolution

impact on time-dependent measurements

- Proper time resolution at *Belle II* is a factor 2 better than *Belle* & *BABAR*
  - *Belle II* will improve the precision on observables extracted in time-dependent measurements, beyond the increase of luminosity, thanks to the improved resolution
  - there are ongoing studies to quantify the impact on the charm time-dependent measurements (including Dalitz analyses)

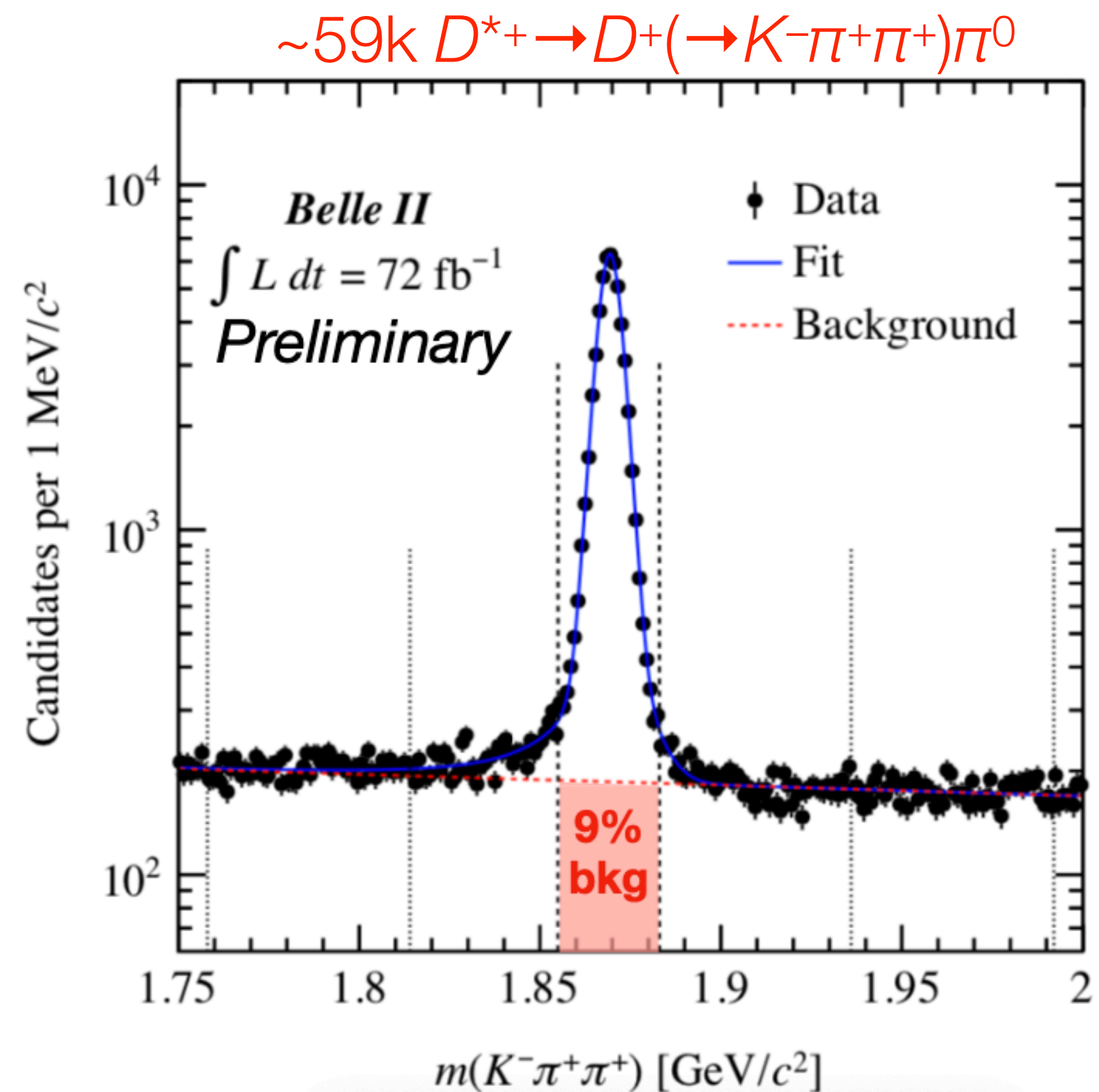
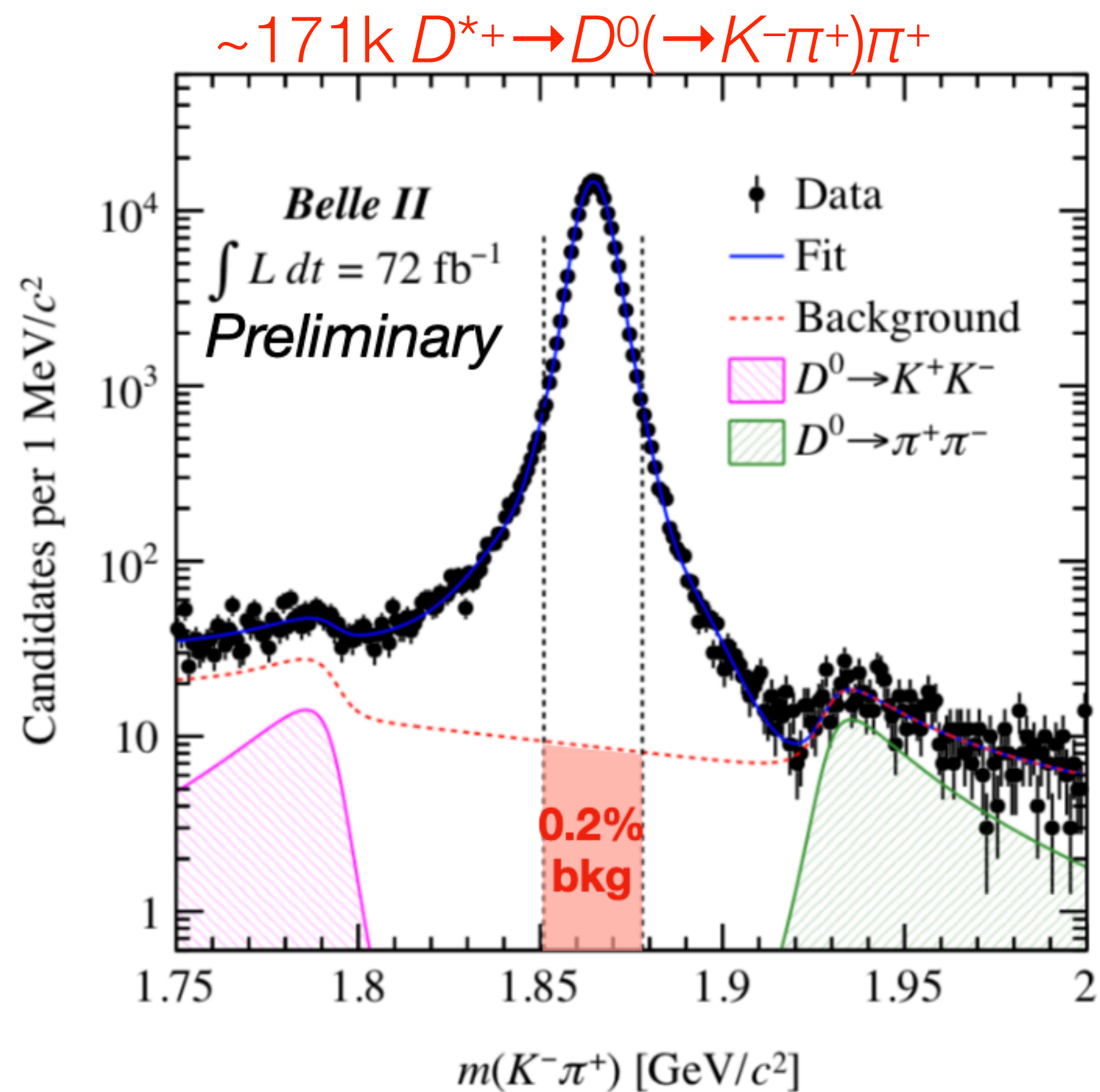
[Belle II Physics Book](#)



# Signal Decays

use  $72 \text{ fb}^{-1}$  ( $\sim 1/3$  of the data now on disk)

- ➔ Selected high-purity samples to limit the background-related systematic uncertainty
  - removed candidates from B decays to avoid bias on the D production vertex



# Signal PDF

for both  $D^0$  and  $D^+$  channels

- Lifetime extracted with a maximum-likelihood fit to the 2D distribution of proper time ( $t$ ) and proper-time uncertainty ( $\sigma_t$ )
- Signal PDF is the convolution of an exponential with a resolution function (double/single Gaussian for  $D^0/D^+$ )

$$\text{pdf}(t, \sigma_t | \tau, b, s) \propto \int_0^{\text{inf}} e^{-t_{\text{true}}/\tau} \overset{\text{resolution function}}{R(t - t_{\text{true}} | \sigma_t, b, s)} dt_{\text{true}} \overset{\text{fixed from data (binned template)}}{\text{pdf}(\sigma_t)}$$

*resolution function*

$$R(t - t_{\text{true}} | \sigma_t, \boxed{b}, \boxed{s}) = G(t - t_{\text{true}} | b, s\sigma_t)$$

$b = \text{bias}$

$s = \text{proper time uncertainty scaling factor}$

- Signal PDF validated on simulated data, and with ToyMC
- This is the total PDF for the  $D^0$ , where the sub-1% background contamination is ignored

# Background Description

only for the  $D^+$  channel

→ The ~9% background contamination in the signal region can't be ignored → include it in the fit

→ Use an empiric model derived from the data sidebands

- simulation shows that the sidebands represent a good proxy of the background in the signal region

- background PDF:  $\text{pdf}_{\text{bkg}}(t, \sigma_t) = \text{pdf}_{\text{bkg}}(t | \sigma_t) \text{pdf}_{\text{bkg}}(\sigma_t)$

*zero-lifetime component*

*lifetime#1 component*

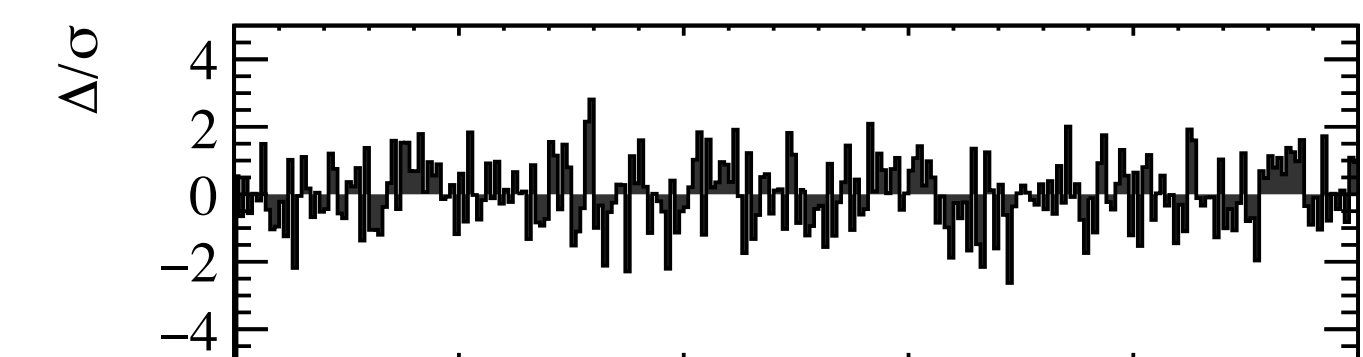
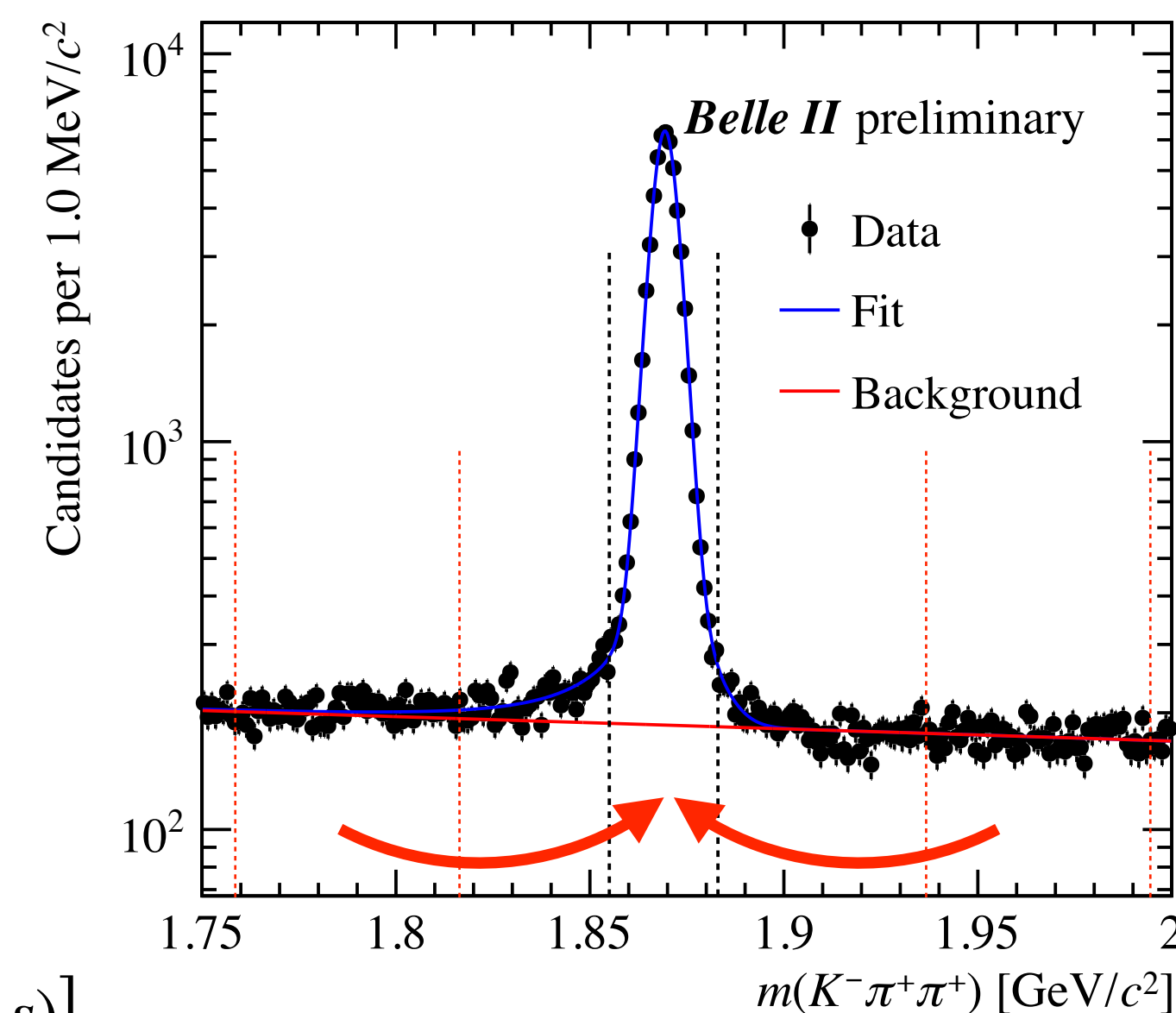
*lifetime#2 component*

$$\text{pdf}_{\text{bkg}}(t | \sigma_t) = (1 - f_{bl})R(t | b + b_{\text{bkg}}, s\sigma_t) + f_{bl} [f_{bl1} \text{pdf}_{bl1}(t | \sigma_t, \tau_{b1}, b + b_{\text{bkg}}, s) + (1 - f_{bl1}) \text{pdf}_{bl2}(t | \sigma_t, \tau_{b2}, b + b_{\text{bkg}}, s)]$$

→ Signal and sideband regions are fit simultaneously with all shape parameters free

- the background fraction is constrained to the result of the mass fit

$D^{*+} \rightarrow D^+(\rightarrow K^-\pi^+\pi^+)\pi^0$



# Lifetime Fit

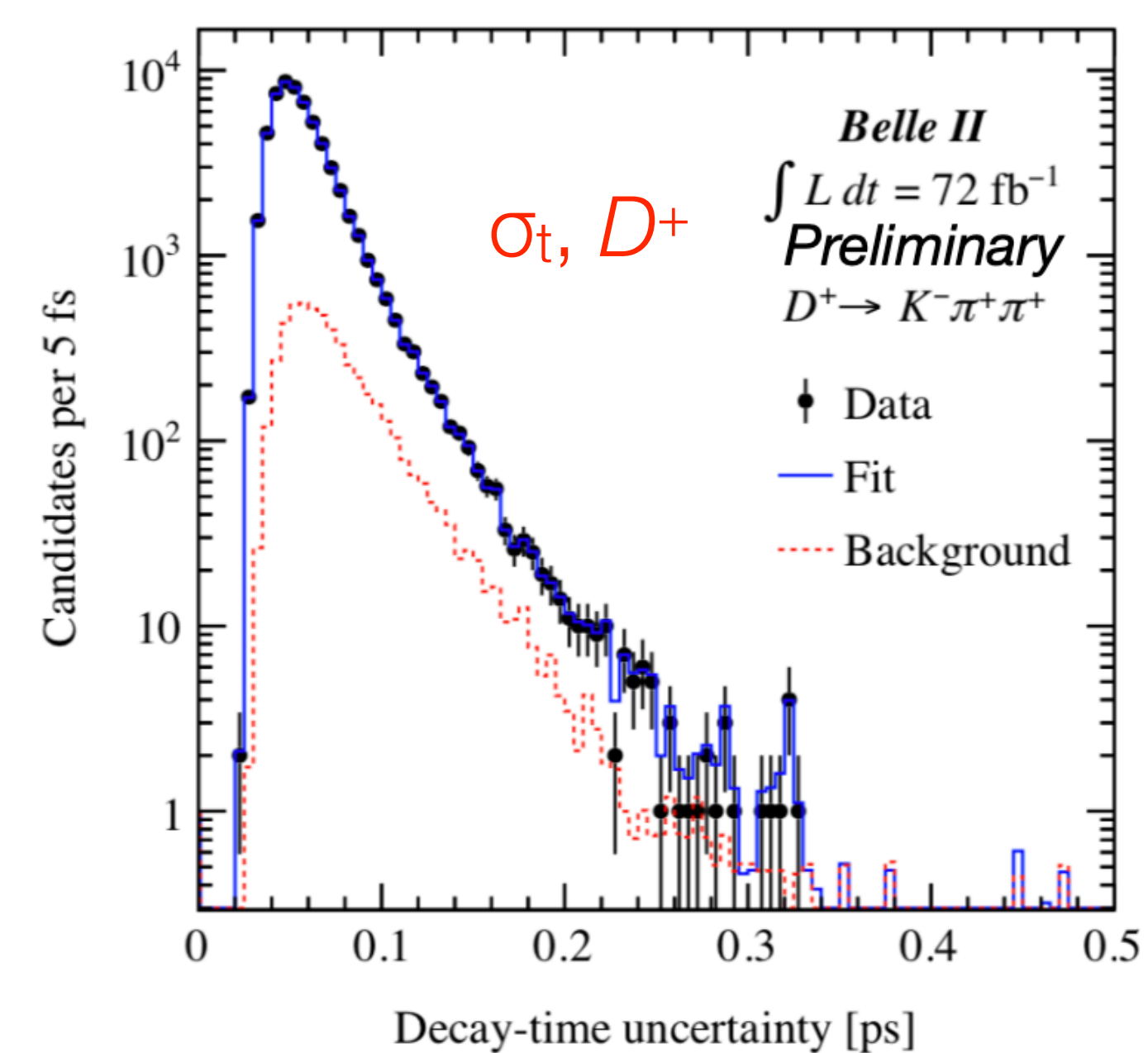
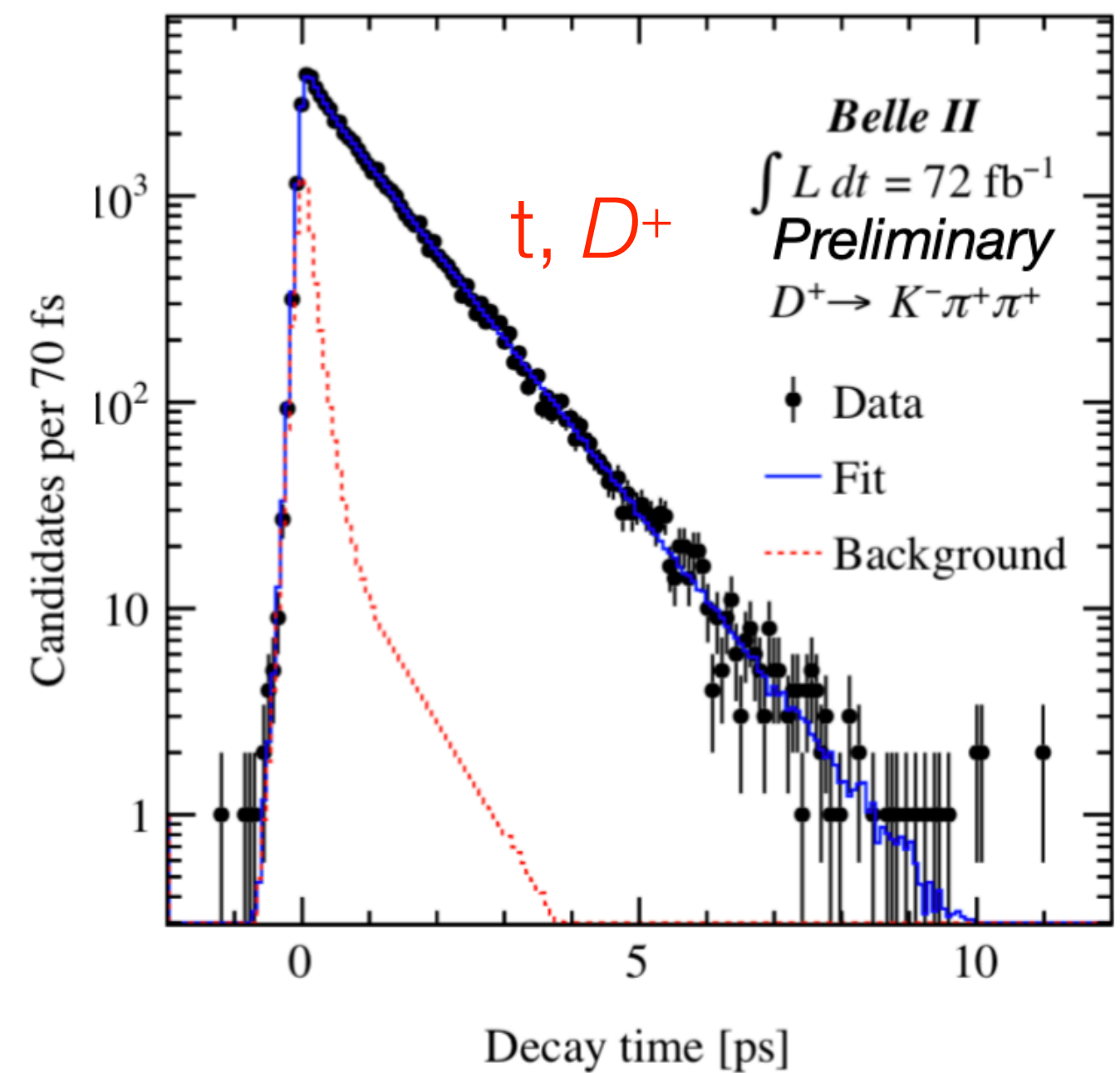
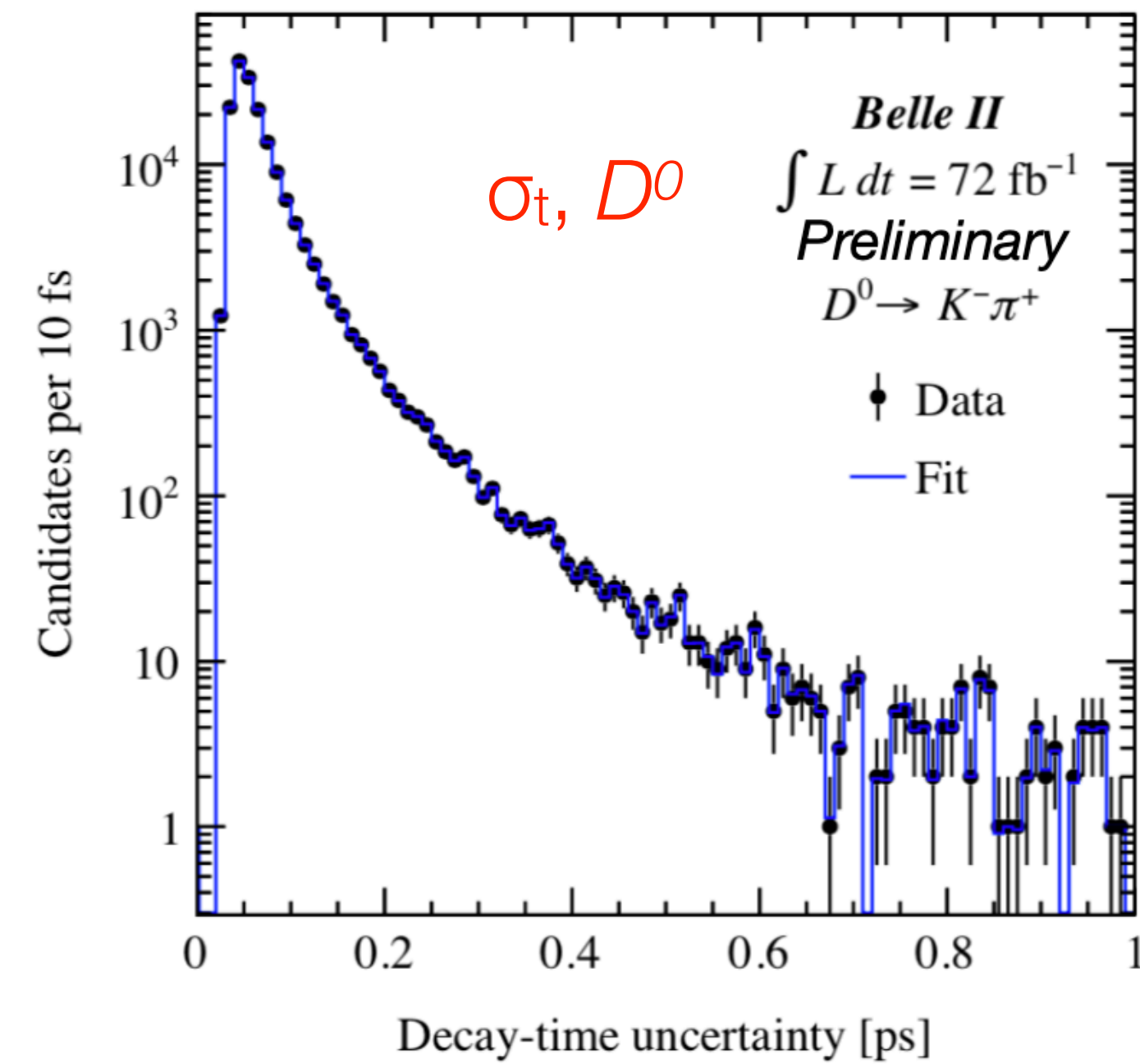
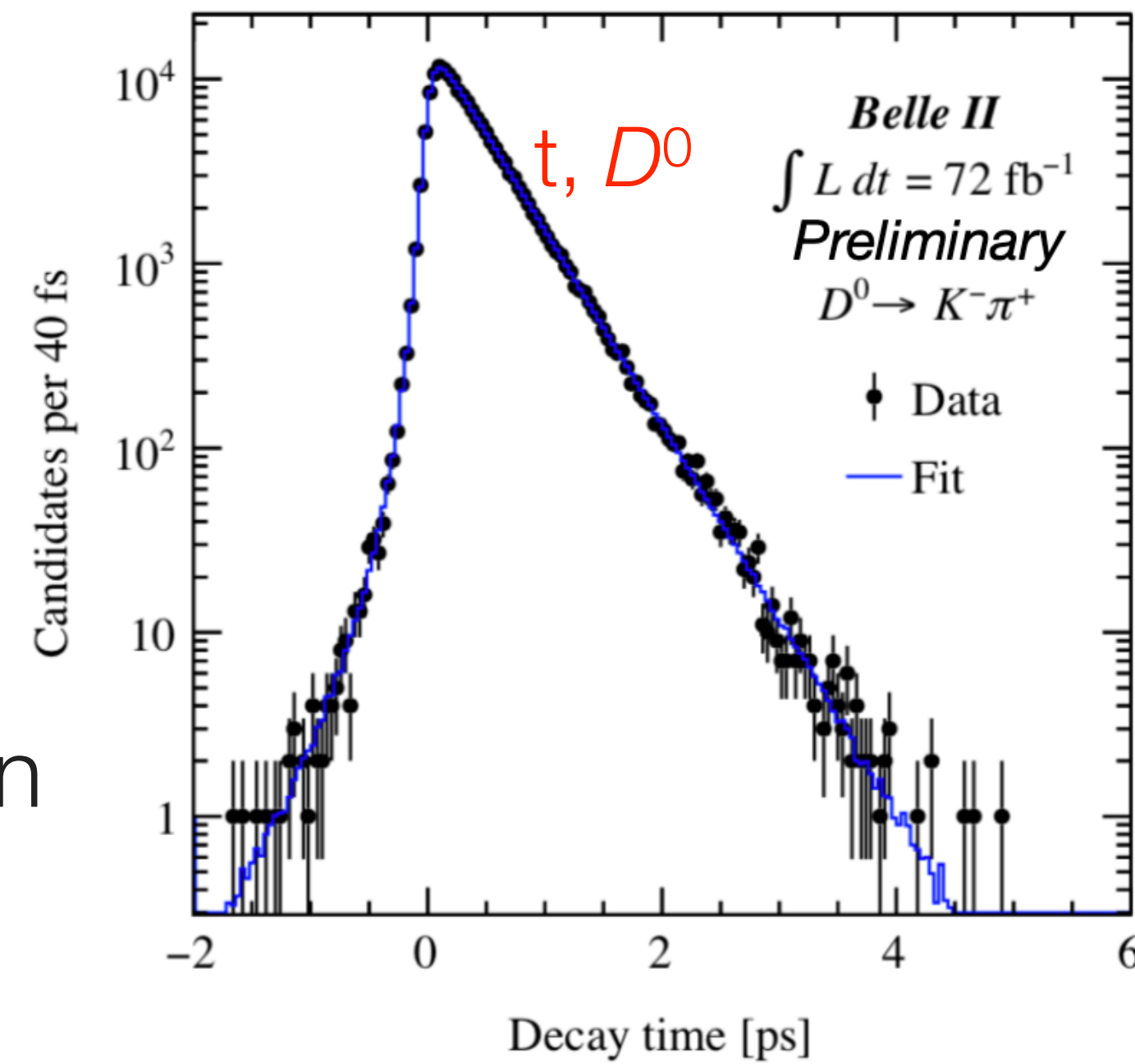
unbinned ML fit to  $(t, \sigma_t)$

→ Resolution and background models extracted on data, no input from simulation

- resolution  $\sim 60$ -70 fs
- MC just used for validation and to assess a few systematic uncertainties

→ Blind analysis:

- selection, validation, crosschecks and assessment of the systematic uncertainty performed before looking at the lifetime
- except for 2019 data ( $\sim 13\%$  of the sample) unblinded since ICHEP 2020 (compatible with WA).



# Validation & Crosschecks

before unblinding

- ➔ Full Simulation & Toy MC
- ➔ Data subsamples: split data in bins of  $D^0$  momentum,  $\cos\theta$ ,  $\phi$ , run period, ... and check that extracted lifetimes are compatible within the statistical uncertainty
- ➔ Measured (blind)  $D^0$  lifetime using same technique as for  $D^0 \rightarrow K^-\pi^+$ , on a different final state:  $D^{*-}$ -tagged  $D^0 \rightarrow K^-\pi^+\pi^-\pi^+$ 
  - 146k signal events, 0.8% bkg in the signal region
  - different kinematics, different resolution model
  - similar precision to the  $D^0 \rightarrow K\pi$  channel
  - blind results from  $D^0 \rightarrow K\pi\pi\pi$  and  $D^0 \rightarrow K\pi$  agrees:  $\frac{|\tau_{K\pi} - \tau_{K3\pi}|}{\sqrt{\sigma_{K\pi}^2(\text{stat}) + \sigma_{K3\pi}^2(\text{stat})}} = 0.8$

# Systematics Breakdown

total uncertainties are 1.4 fs ( $D^0$ ) and 5.6 fs ( $D^+$ )

→ Most critical contribution to the systematic uncertainty comes from the **alignment**

- affecting the length scale
- estimated using several different versions of reconstructed misaligned signal MC samples (next slide), from the same generated sample

→ Dominant systematics for the  $D^+$  is related to the **backgrounds**

- to account for imperfect data-MC agreement of the decay-time distribution in the low-mass sideband

Source	Uncertainty (fs)	
	$D^0 \rightarrow K^- \pi^+$	$D^+ \rightarrow K^- \pi^+ \pi^+$
Statistical	1.1	4.7
Resolution model	0.16	0.39
Backgrounds	0.24	<b>2.52</b>
Detector alignment	<b>0.72</b>	<b>1.70</b>
Momentum scale	0.19	0.48
Input charm masses	0.01	0.03
Total systematic	0.8	3.1

- Both the dominant contributions can be improved:
- reduce bkg contamination in the  $D^+$  signal region
  - improved alignment algorithm already in place

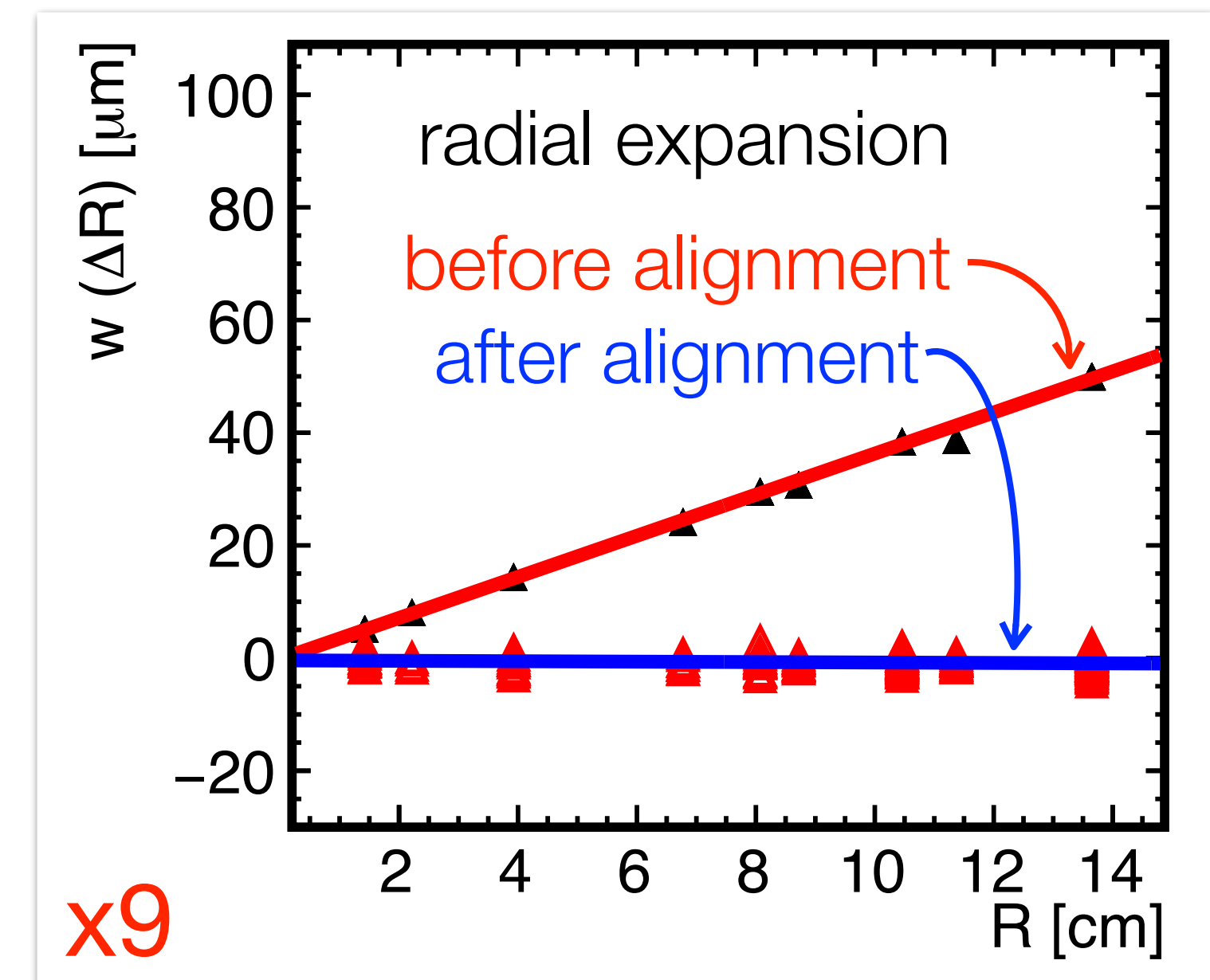
# Misalignment Configurations

systematic uncertainty estimation

→ The misalignment configurations are generated in two different ways:

- (1) **stat** using day-to-day difference between alignments in real data to reproduce similar level of local alignment precision as obtained on an average alignment block
- (2) **syst** taking residual misalignments that are not corrected for by the alignment procedure of 9 different **weak-mode deformations** (radial/longitudinal expansion, telescope, curl, ...), using the simulation of a misaligned detector

WEAK-MODE DEFORMATION EXAMPLE



→ The systematic uncertainty is estimated as the sum in quadrature of the largest bias from the day-to-day configurations (stat) and the largest bias from the weak-mode configurations (syst)



# Results

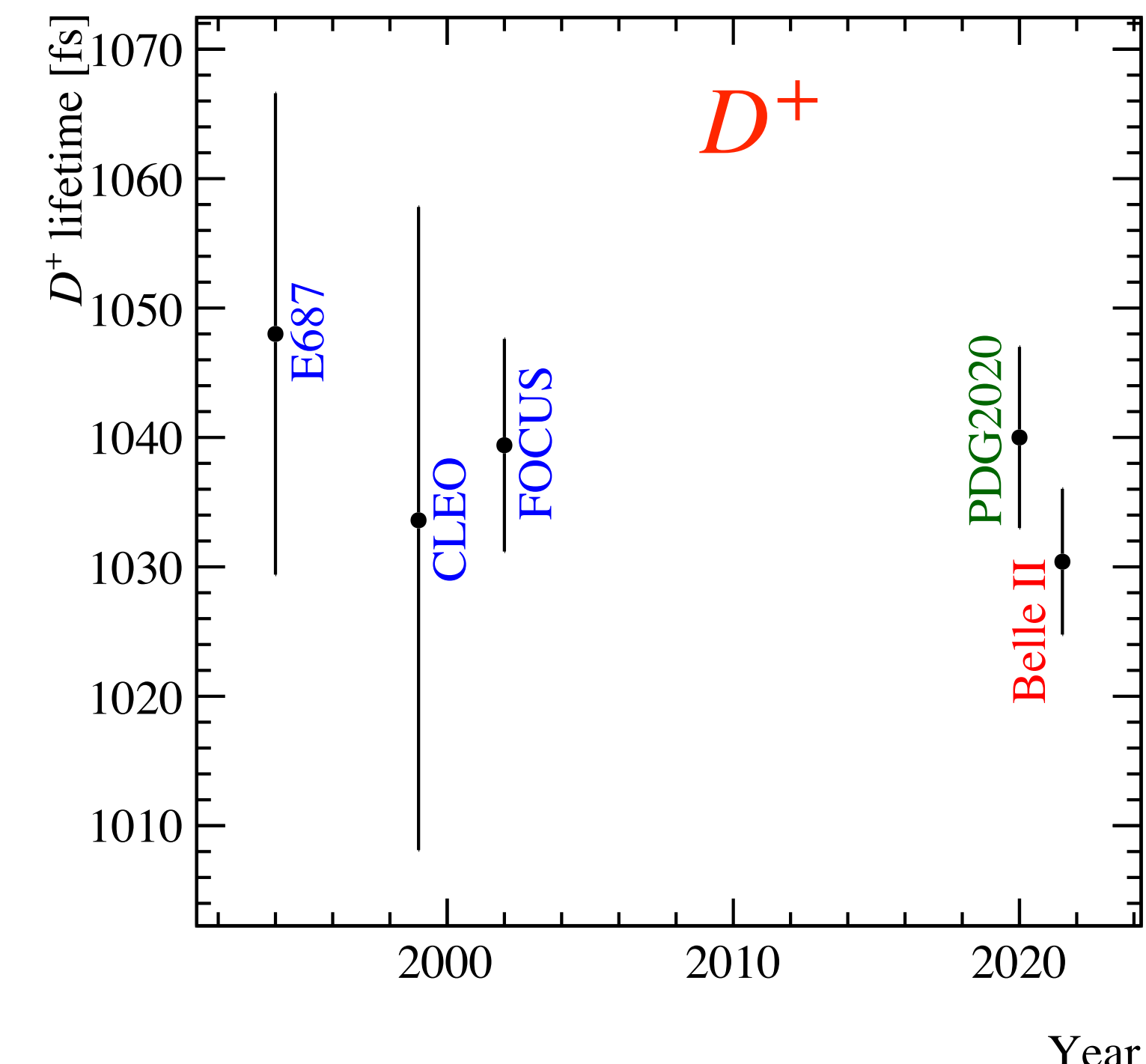
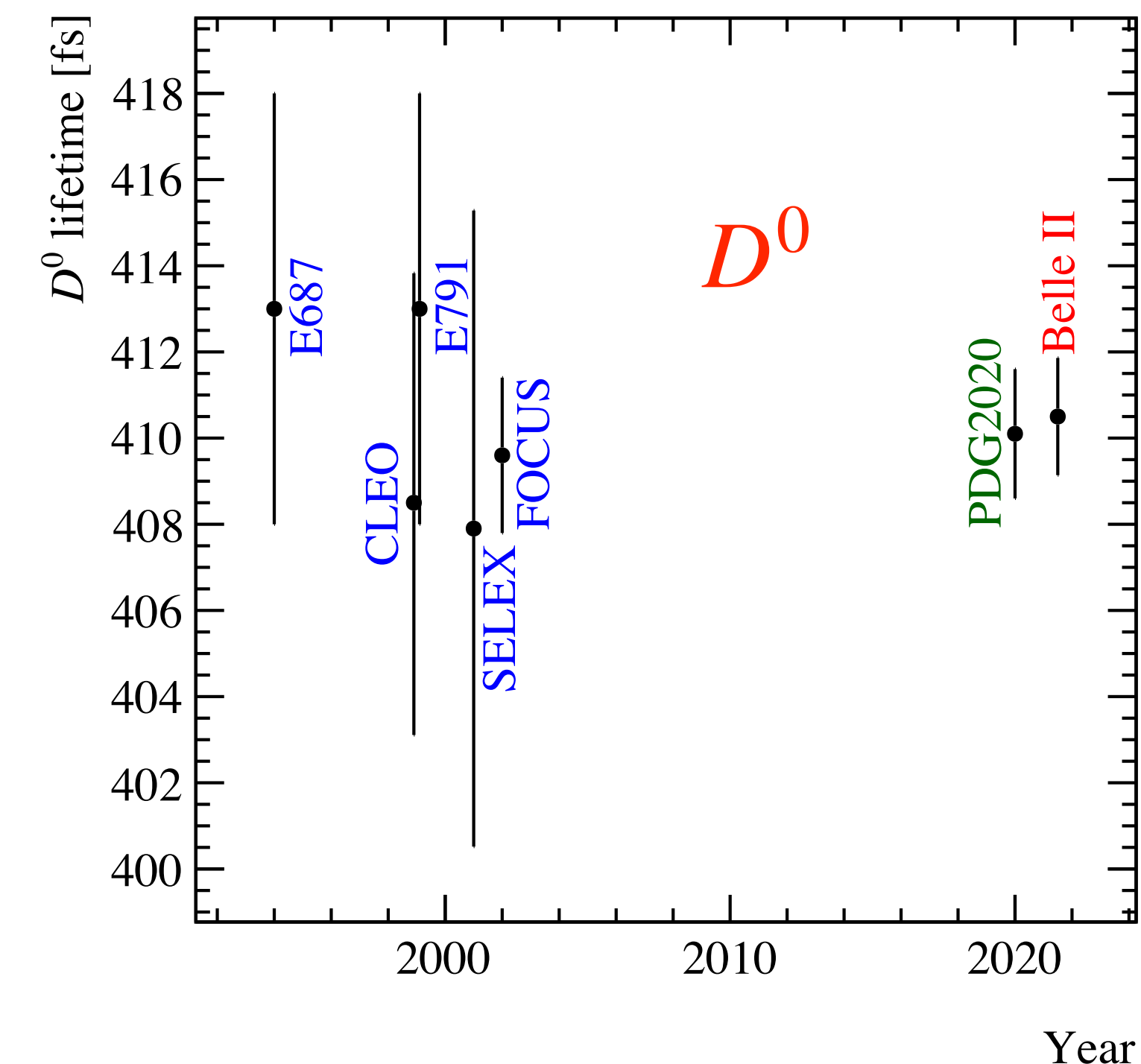
$$\tau(D^0) = 410.5 \pm 1.1 \pm 0.8 \text{ fs}$$

$$\tau(D^+) = 1030.4 \pm 4.7 \pm 3.1 \text{ fs}$$

$$\tau(D^+)/\tau(D^0) = 2.510 \pm 0.015$$

determined considering correlations between (systematic) uncertainties

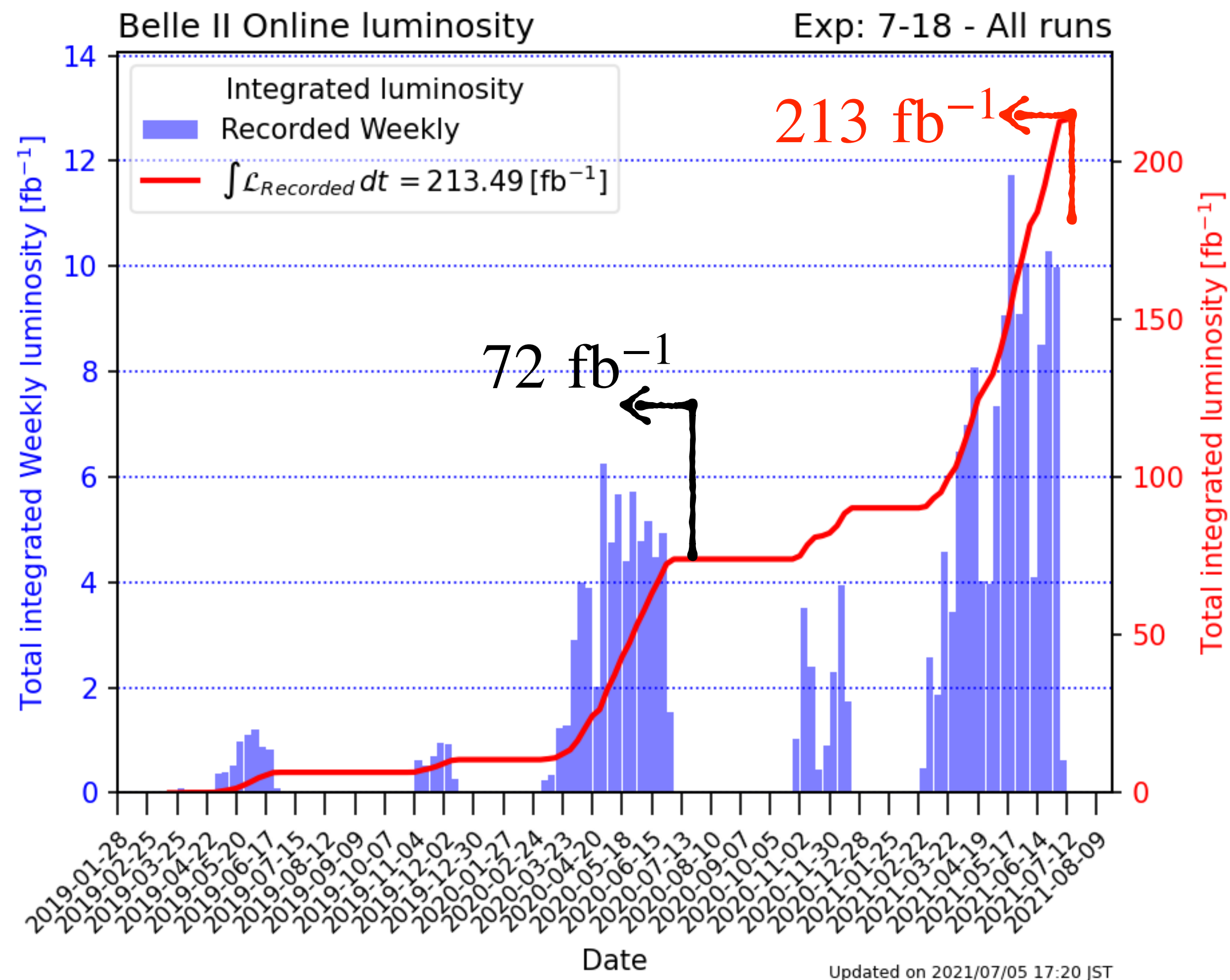
- Consistent with current world averages  $410.1 \pm 1.5$  fs ( $D^0$ ) and  $1040 \pm 7$  fs ( $D^+$ ).
- World's most precise measurements of the  $D^0$  and  $D^+$  lifetimes
- **Few ‰ accuracy** (3.5‰ for the  $D^0$  and 5.4‰ for the  $D^+$ )  
**establishes excellent performance of our detector!**
- submitted to PRL, <https://arxiv.org/abs/2108.03216>



# Conclusions



- ➔ World's most precise measurements of the  $D^0$  and  $D^+$  lifetimes, the first one at a B-Factory experiment!
- ➔ The expected excellent vertexing performance is established and will guarantee improved precision of time-dependent measurement, beyond the increase of luminosity
- ➔ Stay tuned for many results on charm from Belle II in the next years!



*Thank you for your attention.*